# The Rotational Spectra of Fluorinated Acetonitriles; <sup>14</sup>N-nuclear Quadrupole Hyperfine Structures Measured with a Microwave Fourier Transform Spectrometer

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The microwave spectra of CF<sub>3</sub>CN, CH<sub>2</sub>FCN, CHDFCN, CD<sub>2</sub>FCN and CHF<sub>2</sub>CN have been measured and analysed. The nuclear quadrupole hyperfine splittings due to  $^{14}N$  have been measured by Microwave Fourier Transform spectroscopy. The nuclear quadrupole coupling constants, transformed to the bonding axis systems of the C-C $\equiv$ N groups, are shown to be in accord with structural predictions of the p-electron populations at the nitrogen atom.

#### I. Introduction

Detailed microwave spectroscopic data for fluorinated acetonitriles have previously been confined to the fully fluorinated symmetric top CF<sub>3</sub>CN [1, 2]. A preliminary summary of the rotational spectra of monofluoro acetonitrile, CH2FCN, was given some time ago by Job and Sheridan [3], whose measurements form the starting point of the present study. Graybeal and Roe [4] reported findings in close agreement with this work. Measurements on this substance were extended by Job [5] to improve resolution of the <sup>14</sup>N-nuclear quadrupole hyperfine splittings, which were shown to accord with a coupling tensor no longer symmetric with respect to the C-C≡N line. Job [5] also reported rotational constants for CHDFCN and CD2FCN, and for difluoro acetonitrile, but did not resolve nuclear quadrupole splittings for these molecules.

A main objective in such studies was the possible measurement of the effect of fluorine substitution on the <sup>14</sup>N-nuclear quadrupole tensors, and it was clear from the work summarised above that the resolution of conventional microwave spectrometers was insufficient to yield such information. Accordingly, we have extended studies of CF<sub>3</sub>CN, CH<sub>2</sub>FCN and CHF<sub>2</sub>CN by the methods of Microwave Fourier

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Transform Spectroscopy (MWFT) where the resolution is such that new details of the small <sup>14</sup>N coupling effect in a number of molecules have been recently measured [6, 7]. The present MWFT measurements have yielded <sup>14</sup>N-nuclear quadrupole coupling constants of the required precision and have also allowed some refinements of the remaining spectroscopic constants.

# II. Experimental

The fluoroacetonitriles were made by dehydration of the corresponding amides with phosphorus pentoxide [8, 9]. For CH<sub>2</sub>FCN and CF<sub>3</sub>CN, commercial samples of the amides were available, while difluoroacetamide was made in the standard way from ethyl difluoroacetate and ammonia.

All samples were fractionated before use.

It was not possible [5] to obtain the deuterated species CHDFCN and CD<sub>2</sub>FCN by exchange between CH<sub>2</sub>FCN and D<sub>2</sub>O under alkaline conditions, since hydrolysis of the nitrile was too rapid for any to be recovered in the deuterated forms [10]. Accordingly, [5] chloroacetonitrile was first deuterated by treatment with a D<sub>2</sub>O/H<sub>2</sub>O mixture containing a little sodium carbonate, at 20 °C for 24 h. The nitrile was then separated, dried and the chlorine replaced by fluorine by treatment with anhydrous KF in dimethyl formamide at 100 °C. Measurements were made on the resulting mixture of CHDFCN and CD<sub>2</sub>FCN finally fractionated.

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3-3 10074.518

5-5 10074.480 10074.445

 $v_{unsplit}$ 

 $\Delta v_{\rm exp}$   $\Delta v_{\rm calc}$ 

 $0.038 \ 0.035$ 

Table 1. Measured lines and N-hfs  $v_{\rm exp}$  [MHz] of CF<sub>3</sub>CN.  $v_{\rm calc}$  [MHz] by (1) and first order hfs perturbation. Measuring accuracy 5 kHz,  $v_{\rm exp} - v_{\rm calc}$  [kHz].

J'-J	K	F'-F	$v_{\rm exp}$	$v_{\rm calc}$	$v_{\rm exp} - v_{\rm calc}$
2-1	0	3-2 2-1 1-0 2-2 1-1	11 782.223 11 782.117 11 780.960 11 780.717 11 784.454	11 782.223 11 782.123 11 780.959 11 780.726 11 784.451	0 -6 +1 -9 3
	±1	3-2 2-1 1-0 1-1	11782.384 11780.928 11783.846 11782.100	11 782.382 11 780.935 11 783.845 11 782.099	$-\frac{2}{7}$ 1
3-2	0	4-3 3-2 2-1	17 673.203 17 673.141 17 672.928	17 273.208 17 673.153 17 672.920	-5 -12 8
	± 1	4-3 3-2 2-1	17 673.243 17 672.816 17 673.243	17 673.241 17 672.826 17 673.241	$-10^{2}_{2}$
	± 2	$\begin{array}{c} 4-3 \\ 2-1 \\ 3-3 \end{array}$	17673.355 17671.844 17673.355	17 673.342 17 671.846 17 673.342	13 -2 13

Table 2. Measured lines and N-hfs  $v_{\rm exp}$  [MHz] of CHF<sub>2</sub>CN. The calculated lines  $v_{\rm unsplit}$  [MHz] and  $v_{\rm exp}$  for unresolved lines were used for the centrifugal distortion analysis.  $\Delta v_{\rm exp}$  [MHz] and  $\Delta v_{\rm calc}$  [MHz] experimental and calculated hfs splittings.

$J'_{K'K'_+} {-} J_{KK_+}$	F'– $F$	$v_{\rm exp}$	$v_{\rm unsplit}$	$\Delta v_{\rm exp}$	$\Delta v_{\rm calc}$
202-101	3-2	14233.268		0.070	0.070
	2-1	14233.189		0.079	0.070
	1-0	14232.067	14233.176	1.122	1.130
	2 2	14231.883		0.184	0.182
$2_{11}-1_{10}$	1-0	15 368.260		1 322	1.317
	3-2	15 366.938			
	2-2	15366.165	15 366.667	0.773	0.771
				0.593	0.592
	2-1	15 365.572			
$2_{12}-1_{11}$	1 - 0	13341.037			
	3-2	13339.610		1.427	1.432
	-		13 339.345	0.642	0.635
	2-2	13 338.968		0.717	0.720
	2-1	13338.251		0.717	0.720
$3_{22} - 3_{12}$	3-3	16232.117			
	4-4	16230.957	16 221 250	1.160	1.155
	4-4	10 230.93 /	10231.230	0.397	0.404
	2-2	16 230.560			

Table 2 (continued).

4<sub>13</sub>-4<sub>14</sub>

 $J'_{K'_{-}K'_{+}} - J_{K_{-}K_{+}} F' - F \quad v_{\exp}$ 

	5-5 10074.480	10074.445		
	4-4 10074.344		0.136	0.138
423-413	4-4 14378.988			
723 713			0.725	0.725
	5-5 14378.263	14378.455	0.196	0.187
5 5	3-3 14378.067			
5 <sub>24</sub> -5 <sub>14</sub>	5-5 12200.333		0.495	0.497
	6-6 12199.838	12199.972	0.111	0.101
	4-4 12199.727		0.111	0.101
$6_{25} - 6_{24}$	6-6 9833.960		0.351	0.348
	7-7 9833.609	9833.705	0.071	0.060
	5-5 9833.538		0.071	0.000
$7_{25} - 7_{26}$	6-6 10903.255		0.021	0.024
	8-8 10903.234	10903.180		
	7-7 10903.055		0.179	0.168
$8_{26} - 8_{27}$	9-9			
	$7-7$ $\left. \begin{array}{c} 16032.603 \\ \end{array} \right.$	16032.451	0.186	0.177
0 0	8-8 16032.417			
$9_{37} - 9_{27}$	9-9 17829.300		0.329	0.336
	10-10 17828.971	17829.070	0.037	0.038
	8-8 17828.934		0.057	0.050
$10_{38} - 10_{28}$	10-10 14269.735		0.264	0.267
	11-11 14269.471	14269.550		0.267
	9-9 14269.441		0.030	0.027
$3_{30} - 3_{22}$	32 066.89			
$4_{31} - 4_{23}$	32 428.79 33 203.54			
$5_{32} - 5_{24}$ $6_{33} - 6_{25}$	34643.56			
$7_{34} - 7_{26}$	37 066.10			
$4_{32} - 4_{22}$	30 669.00			
$5_{33} - 5_{23}$ $7_{25} - 7_{25}$	29 248.98 24 464.42			
$7_{35} - 7_{25} $ $8_{36} - 8_{26}$	21 296.34			
$10_{47} - 10_{37}$	35818.00			
11 <sub>48</sub> -11 <sub>38</sub>	32008.03			
$1_{10} - 0_{00}$ $2_{20} - 1_{10}$	14081.61 33159.08			
$2_{21}^{-1} - 1_{11}^{10}$ $2_{11}^{-1} - 1_{01}^{10}$	34052.28			
	22 27 1.32			
$3_{03} - 2_{02}$ $3_{12} - 2_{11}$	21 060.67 22 969.78			
$5_{05}-4_{04}$	33866.46			
$5_{15} - 4_{14}$ $5_{14} - 4_{13}$	32908.27			
$5_{14} - 4_{13}$	37 794.49			

The MWFT measurements were made at Kiel in a spectrometer already described [11, 7]. Sample pressures were 0.5 to 0.05 mTorr and the cell temperature was  $-60\,^{\circ}$ C. The measurements by Job and Sheridan at the University of Birmingham were made with a conventional spectrometer with Stark effect modulation at  $100\,\text{kHz}$ , selected transitions being partially resolved into hyperfine patterns in a simple video spectrometer.

# III. Results and Analysis

The measured frequencies and their assignments are listed in Table 1-3 for CF<sub>3</sub>CN, CH<sub>2</sub>FCN and CHF<sub>2</sub>CN respectively. The resolution obtainable in the MWFT instrument is illustrated by the hyperfine multiplet reproduced in Figure 1.

The spectrum of CF<sub>3</sub>CN was analyzed with the symmetric top Hamiltonian including centrifugal distortion [12].

$$H = BP^{2} + (A - B)P_{z}^{2} - D_{J}P^{4}$$
$$- D_{JK}P^{2}P_{z}^{2} - D_{K}P_{z}^{4}.$$
(1)

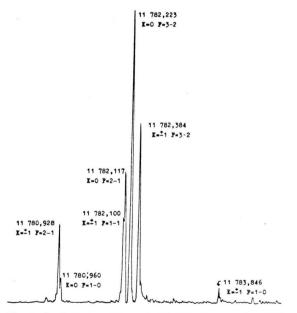


Fig. 1. J=2-1 transition of CF<sub>3</sub>CN, frequencies MHz, polarizing frequency 11785 MHz, sample interval 50 ns, 1024 data points supplemented by 3072 zeros prior to Fourier-Transformation,  $5\cdot10^5$  average cycles, spectral point distance 5 kHz, pressure 0.2 mTorr, temperature  $-60\,^{\circ}$ C.

Table 3. Measured lines and N-hfs of CH<sub>2</sub>FCN, CHDFCN and CD<sub>2</sub>FCN, see Table 2.

#### (a) Species CH<sub>2</sub>FCN

(a) species c		•			
$J'_{K'_{-}K'_{+}} - J_{K_{-}K_{+}}$	F'-F	$v_{\rm exp}$	$v_{ m unsplit}$	$\Delta v_{\rm exp}$	$\Delta v_{\rm calc}$
$1_{01} - 0_{00}$	0-1	9122.847		1.665	1.662
	2-1	9121.182	9120.995	1.113	1.113
	1 - 1	9120.069			
$2_{12} - 1_{11}$	1-0	17802.058		1.175	1.175
	3-2	17800.883	17800.658		
	2-1	17799.728		1.155	1.151
6 <sub>15</sub> -6 <sub>16</sub>	$7-7 \\ 5-5$	9268.249			
	6-6	9268.220	9 2 6 8 . 2 3 9	0.029	0.026
$7_{16} - 7_{17}$	$8-8 \\ 6-6$	12353.857	12353.849	0.025	0.026
	7-7	12353.832	12000.019	0.020	0.020
$8_{17} - 8_{18}$	$9-9 \\ 7-7 $	15876.543	15876.534	0.026	0.026
	6-6	15876.260	13070.331	0.020	0.020
$\begin{array}{c} 2_{02} - 1_{01} \\ 2_{11} - 1_{10} \\ 3_{03} - 2_{02} \\ 3_{03} - 2_{03} \end{array}$		18237.46 18683.22 27344.39 26697.99			
$ 3_{13} - 2_{12} \\ 3_{12} - 2_{11} \\ 4_{04} - 3_{03} $		28022.22			
$4_{04} - 3_{03}$ $4_{14} - 3_{13}$		36 437.78 35 591.89			
$\begin{array}{c} 4_{14} - 3_{13} \\ 4_{13} - 3_{12} \\ 9_{18} - 9_{19} \end{array}$		37 357.53 19 833.65			
$10_{1.9} - 10_{1.10}$		24221.38			
$11_{1,10} - 11_{1,11} \\ 12_{1,11} - 12_{1,12}$		29 034.57 34 266.98			
$I_{10} - I_{01}$		32237.88			
$2_{11}^{10} - 2_{02}^{01}$ $3_{12} - 3_{02}^{02}$		32 684.16 33 362.27			
$3_{12} - 3_{03}$ $4_{13} - 4_{04}$		34282.28			
5 <sub>14</sub> -5 <sub>05</sub>		35457.44			

# (b) Species CHDFCN and CD2FCN

$J'_{K'_{-}K'_{+}} - J_{K_{-}K_{+}}$	v <sub>exp</sub> CHDFCN	$\stackrel{ u_{\sf exp}}{\sf CD_2FCN}$
${4_{04}-3_{03}}$	35886.95	35 354.47
$4_{14}^{04} - 3_{13}^{03}$	35005.94	34477.06
$4_{13}^{14} - 3_{12}^{13}$	36 865.64	36 344.96
$1_{11} - 0_{00}$	36 640.78	31718.69
$1_{10} - 1_{01}$	27119.06	23 329.55
$2_{11}^{10} - 2_{02}^{01}$	27 590.24	23 803.65
$3_{12} - 3_{03}$	28 308.34	24 528.00
$4_{13} - 4_{04}$	29 286.84	overlapped
5 <sub>14</sub> -5 <sub>05</sub>	30 543.03	26795.67
$6_{15} - 6_{06}$	32098.24	28 384.24

For the asymmetric top molecules CHF<sub>2</sub>CN and CH<sub>2</sub>FCN the Hamiltonian of van Eijck [13, 14] was used:

$$H = BP_x^2 + CP_y^2 + AP_z^2$$

$$- D_J' P^4 - D_{JK}' P^2 P_z^2 - D_K' P_z^4$$

$$- \delta_J (P^2 (P_x^2 - P_y^2) + (P_x^2 - P_y^2) P^2)$$

$$- 2R_6' (3(P_x^2 P_y^2 + P_y^2 P_x^2) - P_x^4 - P_y^4).$$
 (2)

In the expressions (1) and (2) above the symbols have their usual meanings. Where resolution of hyperfine structure was obtained, this was analysed by first order treatment [12, 15] to give the nuclear quadrupole coupling constants and the unperturbed frequencies  $v_{\text{unsplit}}$ . All fitting procedures were repeated until no further changes in the derived parameters were observed.

For the deuterated species CHDFCN and CD<sub>2</sub>FCN the smaller numbers of data were analysed by less elaborate means [5, 16, 17] in which smaller constants such as  $D'_I$  and  $\delta_I$  were taken to be the same as those derived from a similar analysis for the parent species. It is perhaps worth noting that the values of the distortion constant  $D'_{JK}$  in fluoroacetonitrile are very sensitive to deuterium substitution. A negative value of  $D'_{JK}$  in CH<sub>2</sub>FCN parallels findings for molecules with similar inertial properties, such as CH<sub>2</sub>FCCH [18] or CH<sub>3</sub>CH<sub>2</sub>CCH [19], but deuteration changes  $D'_{JK}$  towards a positive value, which is attained in CD<sub>2</sub>FCN.

Tables 4–6 summarize the final values of the rotational and centrifugal distortion constants, while Table 7 gives the results of the nuclear quadrupole analyses, in which only the lines measured in the MWFT instrument were used. It was checked that the energy levels of CHF<sub>2</sub>CN and CH<sub>2</sub>FCN are such that no lines of these substances within the range of the spectrometer are sensitive to  $\chi_{ac}$  or  $\chi_{ab}$  respectively.

Table 4. Rotational and centrifugal distortion constants of CF<sub>3</sub>CN from an analysis of the lines of Table 1.  $\sigma$  mean square deviation of the fit.  $|(B, D_J)|$  magnitude of highest correlation coefficient. Conversion factor 505 376 MHz amu Å<sup>2</sup>. Standard errors are given.

B [MHz]	2945.5349 (13)	
$D_J$ [kHz]	0.52 (11)	
$D_{JK}$ [kHz]	5.98 (80)	
$\sigma$ [kHz]	7	
$(B, D_J)$	0.95	
$I_b$ [amu Å <sup>2</sup> ]	171.5749 (1)	

Table 5. Rotational and centrifugal distortion constants of CHF<sub>2</sub>CN from an analysis of the lines of Table 2, see also Table 4.  $\sigma$  is relatively high as the measuring accuracy of the two sets of lines are different.  $|(C, D'_J)|$  magnitudes of highest correlation coefficient.

A	[MHz]	9985.938 (51)
B	[MHz]	4095.116 (30)
C	[MHz]	3081.427 (34)
$D'_J$	[kHz]	0.36 (75)
$D_{JK}'$	[kHz]	17.86 (89)
$D_K'$	[kHz]	-6.4(49)
$\delta_J R_6'$	[kHz]	0.28 (14)
$R_6'$	[kHz]	-0.20(9)
×	. ,	$-0.7063^{\circ}$
$\sigma$	[kHz]	274
(C,	$D_{I})$	0.88
$I_a$	[amu Å <sup>2</sup> ]	50.6088 (3)
$\ddot{I_b}$	[amu Å <sup>2</sup> ]	123.4094 (6)
$I_c$	[amu Å <sup>2</sup> ]	164.0071 (9)

### IV. Fitting of Structure Parameters

Structure parameters for CF<sub>3</sub>CN and CH<sub>3</sub>CN have been well established [2, 12]. The structure consistent with the inertial information now obtained for the asymmetric molecules CHF<sub>2</sub>CN and CH<sub>2</sub>FCN were considered partly to establish their consistency within the series of compounds, and in particular to allow placement of the *a*-axes within probable structures as a preliminary to the transformation of the nuclear quadrupole coupling constants into the bond-axis systems (Section V below).

For CHF<sub>2</sub>CN, with data for only the parent isotopic form, it was possible to fit only three parameters in an  $r_0$ -structure. As indicated in Table 8, six parameters were assumed from the known geometries in related structures and values were obtained as tabulated for r(C-F),  $\angle$  HCC and  $\angle$  FCC.

For CH<sub>2</sub>FCN nine inertial constants were available (Table 6) and these were sufficient to fit only five structure parameters with three similar assumptions, as indicated in Table 9. A higher number of parameters was correlated.

The values given for the parameters in these molecules are essentially preliminary and approximate on account of the necessity of making assumptions. The findings, however, support the view that r(C-F) in the monofluoro derivative is about the same as r(C-F) in methyl fluoride [12], while the presence of two fluorine atoms in the former methyl group in CHF<sub>2</sub>CN leads to a shorter r(C-F), this shortening being continued in CF<sub>3</sub>CN [2]. These comparisons resemble findings in related cases [12].

Table 6. Rotational and centrifugal distortion constants of CH<sub>2</sub>FCN, CHDFCN and CD<sub>2</sub>FCN from an analysis of the lines of Table 3. See also Tables 4 and 5. Assumptions in brackets. (0) assumed to zero as  $D_K'$  is correlated to A. A centrifugal distortion analysis for  $CH_2FCN$  in the mm-wave region is in progress [29].

	CH <sub>2</sub> FCN	CHDFCN	CD <sub>2</sub> FCN	
$\overline{A}$	36577.42 (11)	31 379.837 (85)	27 524.067 (57)	MHz
В	4781.237 (23)	4725.974 (32)	4661.772 (21)	MHz .
C	4339.679 (23)	4260.946 (16)	4194.616 (10)	MHz
$D_J'$	1.3 (8)	(1.3)	(1.3)	kHz
$D_{JK}^{\prime}$	-67.1 (6)	-52.3(127)	4.34 (861)	kHz
$D_K''$	(0)	(0)	(0)	kHz
$\delta_{I}$	0.57 (5)	(0.57)	(0.57)	kHz
$D_K^{\gamma K}$ $\delta_J$ $R_6^{\prime}$	0.05 (30)	(0.05)	(0.05)	kHz
×	-0.9726	-0.9657	-0.9600	_
σ	146	142	94	kHz
$(\delta_J, R_6')$	0.99	_	_	_
$(B, D'_{JK})$	_	0.92	0.92	_
$I_a$	13.81661 (4)	16.10512 (4)	18.36124 (4)	amu Å <sup>2</sup>
$I_b^a$	105.6998 (5)	106.9358 (8)	108.4086(5)	amu Å <sup>2</sup>
$I_c^{''}$	116.4547 (6)	118.6065 (4)	120.4821 (3)	amu Å <sup>2</sup>

Table 7. Quadrupole coupling constants of acetonitriles in MHz.  $\sigma$  mean square deviation of the fit,  $\overline{Av}$  mean of his splitting in kHz,  $|(\chi^+, \chi^-)|$  magnitude of correlation coefficient. The symmetry plane is ac for CHF<sub>2</sub>CN, ab for CH<sub>2</sub>FCN. – \* influenced by accuracy of  $\not \subset$  CN, a.

CF <sub>3</sub> CN	CHF <sub>2</sub> CN	CH₂FCN	CH <sub>3</sub> CN [21]
4.656 (15)	4.373 (9)	3.707 (4)	4.2253 (7)
0.000	0.424 (9)	0.071(4)	0.000
-4.656(15)	-4.373(9)	-3.707(4)	-4.2253(7)
	2.399 (9)	1.889 (4)	2.1127 (4)
		1.818 (4)	2.1127(4)
7	6	2.2	3.4
781	446	740	484
_	0.26	0.09	_
_	1.315*	-2.295*	
2.328		2.710*	2.1127
		1.818	2.1127
-4.656	-4.635*	-4.528*	-4.2253
	4.656 (15) 0.000 -4.656 (15) 2.328 (8) 2.328 (8) 7 781 - 2.328 2.328 2.328	781 446 	4.656 (15)     4.373 (9)     3.707 (4)       0.000     0.424 (9)     0.071 (4)       -4.656 (15)     -4.373 (9)     -3.707 (4)       2.328 (8)     2.399 (9)     1.889 (4)       2.328 (8)     1.974 (9)     1.818 (4)       7     6     2.2       781     446     740       -     0.26     0.09       -     1.315*     -2.295*       2.328     2.236*     2.710*       2.328     2.399     1.818

Table 8. Partial r<sub>0</sub>-structure of CHF<sub>2</sub>CN calculated with the rotational constants of Table 5. Assumptions in brackets.

The last two angles are derived from the fitted values.

$r$ (C-N) $(1.158 (1)) Å^a$ $r$ (C-C) $(1.459 (1)) Å^b$ $r$ (C-H) $(1.092 (8)) Å^c$ $r$ (C-F) $1.35 Å$ $\nleq$ HCC $113.7^\circ$ $\nleq$ FCC $110.8^\circ$ $\nleq$ CCN $(180.0^\circ)$ $\nleq$ CCF/CCF $(120^\circ)^d$ $\nleq$ CCF/CCH $(120^\circ)^d$ $\nleq$ FCF $108.1^\circ$ $\nleq$ CN,a $11.3^{\circ}$		
r(C−H) (1.092 (8)) Ű r(C−F) 1.35 Å $\not\leftarrow$ HCC 113.7° $\not\leftarrow$ FCC 110.8° $\not\leftarrow$ CCN (180.0°) $ \not\leftarrow$ CCF/CCF (120°) d $ \not\leftarrow$ CCF/CCH (120°) d $ \not\leftarrow$ FCF 108.1°	r(C-N) r(C-C)	(1.158 (1)) Å <sup>a</sup> (1.459 (1)) Å <sup>b</sup>
★ HCC       113.7°         ★ FCC       110.8°         ★ CCN       (180.0°)         ★ CCF/CCF       (120°) <sup>d</sup> ★ CCF/CCH       (120°) <sup>d</sup> ★ FCF       108.1°		(1.092 (8)) Å <sup>c</sup>
★ CCN       (180.0°)         ★ CCF/CCF       (120°) <sup>d</sup> ★ CCF/CCH       (120°) <sup>d</sup> ★ FCF       108.1°	,	
★ CCF/CCF       (120°) <sup>d</sup> ★ CCF/CCH       (120°) <sup>d</sup> ★ FCF       108.1°		
≮ FCF 108.1°	★ CCF/CCF	(120°) <sup>d</sup>
≮ CN,a 11.3° e		108.1°
	≮ CN,a	11.3° e

mean value and error from CH<sub>3</sub>CN [22], C<sub>2</sub>H<sub>5</sub>CN [23],

# V. Comparison and Interpretation of the Nuclear **Quadrupole Coupling Constants**

The nuclear quadrupole coupling constants  $\chi_{aa}$ ,  $\chi_{bb}$  and  $\chi_{cc}$  listed in Table 7 may be identified with the principal constants of the nuclear quadrupole coupling tensors only in the cases when the symmetry permits this, namely for CH<sub>3</sub>CN and CF<sub>3</sub>CN. For the asymmetric tops, only the measured coupling constants for the axes perpendicular to the molecular symmetry planes, χ<sub>cc</sub> for CH<sub>2</sub>FCN and χ<sub>bb</sub> for CHF<sub>2</sub>CN, are principal constants of the nuclear coupling tensors. To obtain estimates of the principal constants of the nuclear coupling tensors, we have made the usual transformation with the assumption that the C-C-N line will be a principal axis of the coupling tensor. In the light of experience with substances where this assumption has

<sup>(</sup>CH<sub>3</sub>)<sub>3</sub>CCN [24], CCl<sub>3</sub>CN [25]; from CH<sub>3</sub>CN [22], C<sub>2</sub>H<sub>5</sub>CN, CCl<sub>3</sub>CN [25], NC-CH<sub>2</sub>-CN [26]; from CH<sub>2</sub>F<sub>2</sub> [27], C<sub>2</sub>H<sub>5</sub>F [28], C<sub>2</sub>H<sub>5</sub>CN [23], NC-CH<sub>2</sub>CN

<sup>[26];</sup> 

dihedral angles;

angle between CN bond and a-axis.

Table 9. Partial  $r_0$ -structure of CH<sub>2</sub>FCN calculated from nine rotational constants. For notes a, b, d, e, see Table 8. The last three angles are derived from the fitted values.

r(C-N) r(C-C) r(C-H) r(C-F)	(1.158 (1)) Å <sup>a</sup> (1.459 (1)) Å <sup>b</sup> 1.09 Å 1.38 Å
≮ HCC ≮ FCC ≮ CCN	110° 111.2° (180.0°)
CCH/CCH  CCF/CCH  HCH  CN,a	117.5° d 121.2° d 106.9° 19.7° c

proved valid, we believe it justified here, although rarely applied to nitrogen couplings. The necessary angles of rotation for this transformation,  $\not\leftarrow$  (CN, a), are taken from the structures in Tables 8 and 9, and yield the  $\chi_{xx}$  and  $\chi_{zz}$  values listed for CH<sub>2</sub>FCN and CF<sub>2</sub>HCN in Table 7. These coupling constants are in the bond-axis systems, with  $\chi_{yy}$  always referred to an axis perpendicular to the molecule symmetry plane. We may now seek to interpret and compare the  $\chi_{xx}$ ,  $\chi_{yy}$  and  $\chi_{zz}$  values for the four substances in terms of contributions of various mesomeric structures according to the approach of Townes and Dailey [12, 15, 20]. In all cases the  $\chi_{zz}$  values show a dominance of the normal bonded structure C-C=N. With the common assumption of sp orbitals on the

N for the  $\sigma$ -bond and for the lone pair in this form, and a coupling of 10 MHz per unbalanced p-electron, the predicted  $\chi_{zz}$  are numerically larger than observed. The lowering of the observed p-electron unbalance  $(U_p)_z$  is attributable to small contributions of states which contain negatively charged N. These are of two types. In the first of these the balancing positive formal charge is either on the cyanide nitrogen or distributed elsewhere with retention of axial symmetry. Such forms are represented in Table 10 by  $C-C^+=N^-$  and labelled type (a). The second type, labelled type (b) in Table 10, may be termed hyperconjugated forms in which the positive formal charge is on a hydrogen atom. For CH<sub>3</sub>CN such forms clearly allow the axial symmetry of the electron distribution to be retained, but for CH<sub>2</sub>FCN and CHF<sub>2</sub>CN they introduce asymmetry into the coupling constants in the bond-axis system. This is shown in Table 10 by the p-electron populations  $N_x$ ,  $N_y$  and  $N_z$ , which reflect the fact that the second lone pair on the nitrogen atom is in the  $p_x$ orbital for form (b) of CHF<sub>2</sub>CN and in the  $p_v$ orbital for form (b) of CH<sub>2</sub>FCN. The p-electron unbalances  $(Up)_x$  etc. have then been calculated in the usual ways and also the coupling constants  $\chi_{xx}$ etc. associated with each mesomeric form. The coupling of <sup>14</sup>N per unbalanced p-electron has been taken as 10 MHz for neutral N and 7.69 MHz for nitrogen with a negative formal charge. In the last column of the table, the percentage weights of each

Table 10. Interpretation of the N-hfs quadrupole coupling constants.  $N_g$  mean number of p-electrons  $g=x, y, z, (U_p)_g=$  number of unbalanced p-electrons,  $\chi_{gg}^m=$  quadrupole coupling constants of the mesomeric forms.

	Mesomeric forms	$N_{x}$	$N_y$	$N_z$	$(U_{p})_{x}$	$(U_{p})_y$	$(U_{\mathrm{p}})_z$	$\chi_{xx}^m$	$\chi_{yy}^m$	$\chi_{zz}^m$	weight
Trifluoracetonitrile (a)	$CF_3 - C \equiv N$ $CF_3 - C^+ = N^-$	1 3/2	1 3/2	3/2 3/2	0.25 0	0.25 0	-0.5 0	2.5	2.5	- 5.0 0	93.1% 6.9%
Difluoracetonitrile (a)	$ CHF_2-C \equiv N  CF_3-C^+=N^- $	1 3/2	1 3/2	3/2 3/2	0.25	0.25 0	-0.5	2.5	2.5	-5.0 0	92.7% 5.9%
(b)	$F_2^+$ $C=C=N^-$	2	1	3/2	-0.75	0.75	0	-5.77	+5.77	0	1.4%
Monofluoracetonitrile (a) (b)	$CH_{2}F-C \equiv N$ $CH_{2}F-C^{+}=N^{-}$ $F$ $C=C=N^{-}$		1 3/2 2	3/2 3/2 3/2	0.25 0 0.75	0.25 0 -0.75	-0.5 0 0	2.5 0 5.77	2.5 0 -5.77	-5.0 0	90.6% 1.7% 7.7%
		1							2.5	-5.0	84.5%
Acetonitrile (a) (b)	$CH_3-C\equiv N$ $CH_3-C^+=N^-$ $H_3^+-C=C=N^-$	3/2	1 3/2	3/2 3/2	0.25	0.25	-0.5	2.5	0	0	15.5%

mesomeric form which provide fits with the measured coupling constants in the bond axis systems are given.

These percentages appear reasonably in accord with expectations on general chemical grounds. The contributions of forms (a) and (b) together fall progressively as F atoms replace hydrogen successively and increasingly withdraw electrons from the cyanide group. On the other hand the contributions of hyperconjugated forms of type (b) appear to increase in the sequence CHF<sub>2</sub>CN, CH<sub>2</sub>FCN and, presumably, CH<sub>3</sub>CN. Hence we conclude that this approach by the Townes and Dailey method

accounts satisfactorily for the observed coupling constants.

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